

Solving the Mystery of Gastrulation

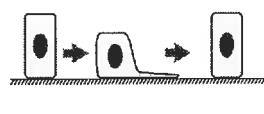
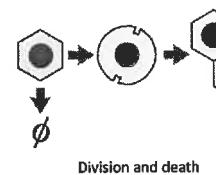
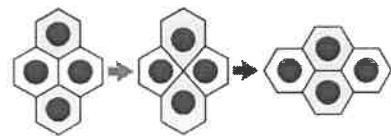
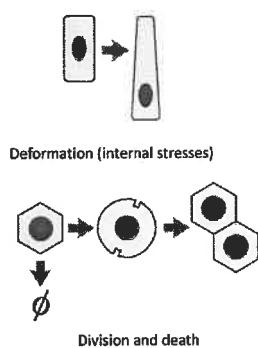
Konstantin Doubrovinski

November 2017

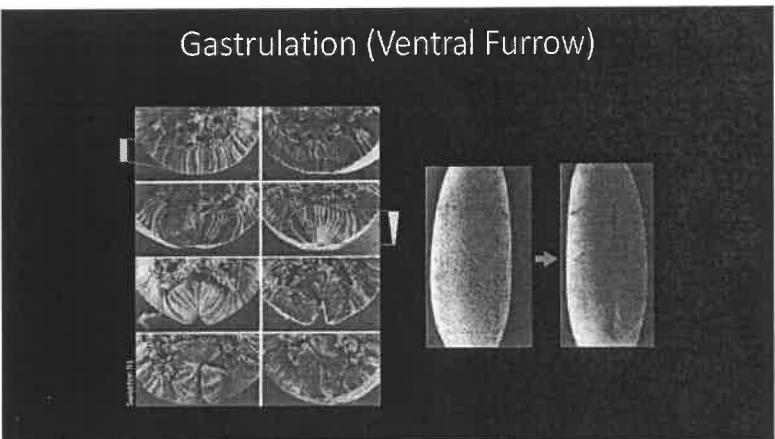
STARS



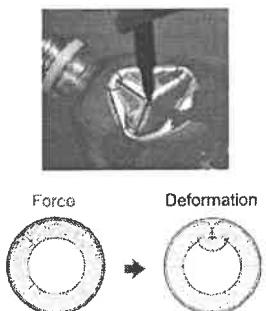
Cellular Processes (in Development)



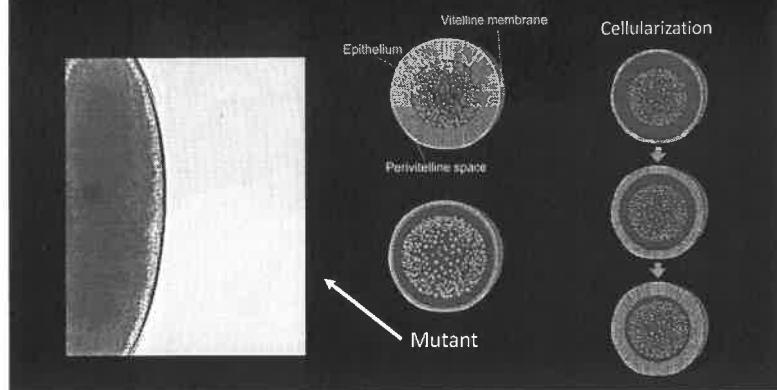
Gastrulation (Ventral Furrow)



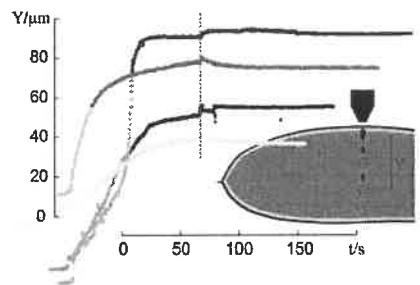
Dynamics = passive response + active forcing



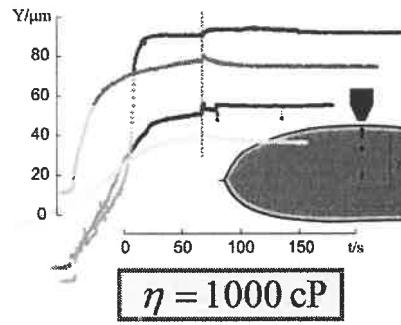
Ferrofluids: measuring tissue properties



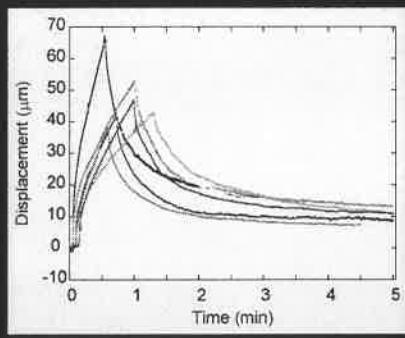
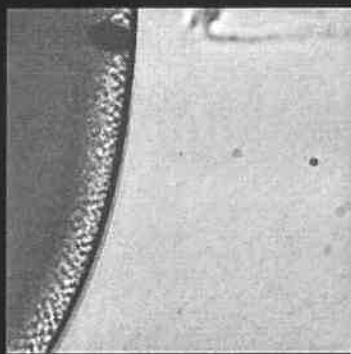
Viscous interior



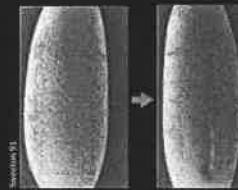
Viscous interior



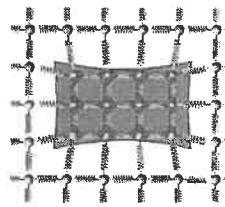
Following deformation imaging labeled membranes



Gastrulation (Ventral Furrow)

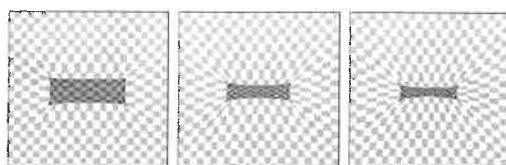


Implications for the dynamics

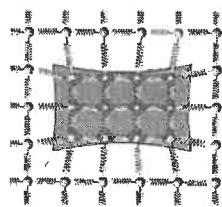


$$\eta \partial_t \mathbf{u} = \frac{Eh}{2(1+\sigma)} \nabla^2 \mathbf{u} + \frac{Eh}{2(1-\sigma)} \nabla \nabla \cdot \mathbf{u} + \nabla \cdot \boldsymbol{\mu}$$

$$\boldsymbol{\mu} = \mathbf{I} \boldsymbol{\mu}_0$$

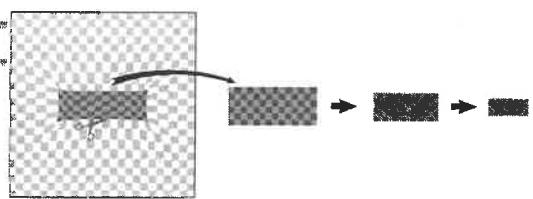


Implications for the dynamics

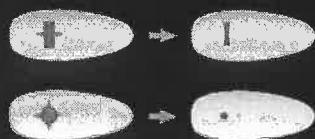
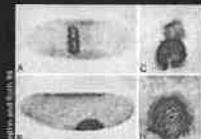


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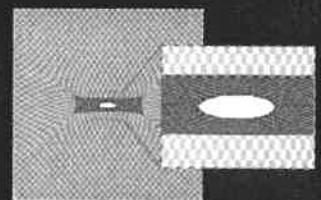
$$\boldsymbol{\mu} = \mathbf{I} \boldsymbol{\mu}_0$$



Implications for the dynamics



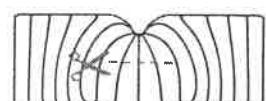
Implications for the dynamics



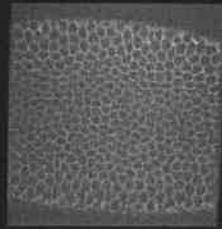
Why invagination?



Why invagination?



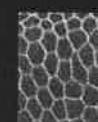
Stack



Gastrulation

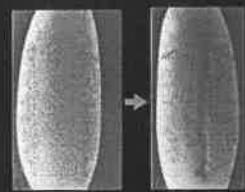
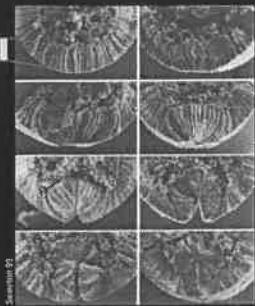


Ablation experiments: measuring tension in lateral membranes



Gastrulation

Gastrulation (Ventral Furrow)



Acknowledgements



Dan Needleman



Hui-Yin Wu



Eric Wieschaus



Reza Farhadifar



Bing He



Amanda Goldner



Kelly Mapes

Doubrovinski Lab

Needleman Lab

Wieschaus Lab